

6.2 $X = 123.8$ bu/acre, and $er, @ = 101 - @ 11-5$
 $\underline{1} 2.582$ bulacre. (a)-(c) See the table; the
 intervals are $X \pm z*ui$, (d) The margin of
 error increases with the confidence level.

Conf. Level	z^*	Interval
	1.645	119.6 to 128.0 bu/acre
	1.960	118.7 to 128.9 bu/acre
	2.576	117.1 to 130.5 bu/acre

6.14 (a) $10.0023 \pm (2.326)(0.0002/\sqrt{5}) = 10.0021$ to 10.0025 g.
 (b) $n = \left(\frac{(2.326)(0.0002)}{0.0001} \right)^2 = 21.64$ — take $n = 22$.

6.19 (a) $(0.95)^6 = 0.698$ 69.8%. (b) $((0.95)^6(0.05) + (0-0.95)^6) = 0.956 = 95.6\%$.

6.30 Even if calcium were not effective in lowering blood pressure, there might be *some* difference in blood pressure between the two groups. However, in this case the difference was so great that it is unlikely to have occurred by chance (if we assume that calcium is not effective). Therefore we reject the assumption that calcium has no effect on blood pressure.

6.38 (a) $H_0: a = 0.5$ mg/dl; $H_a: A : A 9.5$ mg/dl. (b) $z = 9.58-9.5$
 $\frac{0.4}{\sqrt{180}} = 2.68$ and $P = 0.0074$.

This is strong evidence against H_0 ; the pregnant women's calcium level is different from 9.5 mg/dl. (e) $9.58 \pm (1.96)(0.4/\sqrt{180}) = 9.52$ to 9.64 mg/dl.

6.54 There is evidence that vitamin C is effective, but not necessarily that the effect is "strong." The large sample sizes could make even a small effect significant.

6.60 Using $ct/6 = 0.0083$ as the cutoff, the fourth ($P = 0.008$) and sixth ($P = 0.001$) are significant.

6.62 (a) X has a binomial distribution with $n = 77$ and $p = 0.05$. (b) $P(X > 2) = 1 - P(X \leq 1)$
 $= 1 - (0.95)^{77} - (77)(0.95)^{76}(0.05) = 0.9027$.

6.64 $z \leq -1.645$ is equivalent to $f \leq 297.99 - 1.645(3/\sqrt{6}) = 297.99$.

(a) $P(f \leq 297.99 \text{ when } 299) = P(Z \leq \frac{297.99-299}{3/\sqrt{6}}) = P(Z < -0.8287) = 0.2036$.

$z < \frac{297.99-295}{3/\sqrt{6}} = 2.437$. (b) $P(f < 297.99 \text{ when } 295) = P(Z < -31.76)$

(e) The power against $\mu = 290$ would be greater—it is further from μ_0 (300), so it is easier to distinguish from the null hypothesis.

6.70 (a) $P(\text{Type I error}) = P(X \neq 4 \text{ and } X = 0 \text{ when the distribution is } p_0) = 0.5$. (b) $P(\text{Type II error}) = P(X = 4 \text{ or } X = 6 \text{ when the distribution is } p_1) = 0.3$.