Manual for program

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Nov 23, 2009

 $R_common_diag_cov.R$ and $C_common_diag_cov.cpp$ tries to fit penalized model based likelihood to the data assuming common diagonal covariance matrix across different clusters.

• Since the core algorithm is carried out through calling the C++ program from R, the first step is to compile the C++ code. Type at the command prompt in Linux or Unix terminal:

R CMD SHLIB C_common_diag_cov.cpp

which would generate a $C_common_diag_cov.so$ file. Now, read the function into R by typing the following in the R prompt:

source("R_common_diag_cov.R")

• Next the function is run using the command:

common_diag_cov(Y,Y_tune,n,n_tune,k,k0,TRUE_INDEX,BIC,num_cluster,lambda)

Y Training data of size $n \times k$, with each row represents one observation.

 Y_tune Tuning data of size $n_tune \times k$

n Number of observations for training data n_tune Number of observations for tuning data

k Dimension for both training and tuning data

 $k\theta$ First k0 variables are informative; if this quantity is unknown, then z_1 and z_2

in the output should be ignored

TRUE_INDEX The index showing the true group membership of each observation; if this

quantity is unknown, then RI and aRI in the output should be ignored

BIC Boolean variable, if TRUE then select number of cluster, penalty parameters based

on BIC, otherwise, use tuning data to select them. Default is FALSE

num_cluster A vector containing number of clusters to be considered. Default is from 1 to 10

lambda A vector containing penalty coefficients of the mean vector.

Default is from 0 to 20, with step size 1

MAX_iter Maximum iteration allowed the EM algorithm. Default is 100

threshold Threshold for convergence. Default is 0.0001

where each argument means:

Therefore when knowing which variables are informative, the user should move those to the left most k0 columns of Y and Y_tune.

The function will return several R objects, which can be assigned to a variable. For example, with all default options, to save the results in the variable out, type the command:

```
out = common_diag_cov(Y,Y_tune,n,n_tune,k,k0,TRUE_INDEX,BIC,
num_cluster,lambda,MAX_iter,threshold)
```

To see the results, use the "\$" operator (VariableName\$ObjectName). common_diag_cov() returns the following objects:

• Example:

num_cluster optimal number of clusters

lambda optimal penalty parameter on the mean structure

group_member posterior probability for each observation belonging to each cluster

 z_{-1} number of estimated non-informative variables among truly informative variables number of estimated non-informative variables among truly non-informative variables

RI rand index between the estimated group membership and TRUE_INDEX

aRI adjusted rand index between the estimated group membership and TRUE_INDEX

In this example, we first generate a dataset consist of two clusters, with the same diagonal covariance structure but with different mean vector in the first 21 variables, while the remaining 279 variables are noninformative, i.e simulated from standard Normal distribution. The details of how to generate the data is shown below. After data generation, call the function and save the results:

```
out = common_diag_cov(Y,Y_tune,n,n_tune,k,k0,TRUE_INDEX,BIC=T,
    num_cluster=seq(1:5),lambda=seq(0:20),MAX_iter=100,threshold=1e-4))
```

Then to see the output:

> out\$num_cluster

Γ17 2

> out\$lambda

[1] 11

> out\$z_1

Γ1 0

> out\$z_2

[1] 277

> out\$RI

[1] 1

> out\$aRI

```
> out$group_member
 The entire example programs is as follows:
source("R_CS_diag_cov.R")
############## parameters #####################
set.seed(2)
k0<-21
       # number of attributes defining the clustering
k<- 300
       # number of attributes total
n<- 100
      # total number of objects
n0<-20
       # number of objects in the small cluster
           # total number of tuning objects
n_tune <-n*1
n0_tune <-n0*1 # number of tuning objects in the smaller cluster
nsim=1
       # number of simulated data
u1=0.0
         #the mean of the first cluster
          #standard dev
sd1=1.0
sd2=1.0
u2=0.0 # the mean of one cluster other than the other mean cluster
du=2
du_tune=du
TRUE_INDEX <- c(rep(1,(n-n0)),rep(2,n0))
#cluster structure of the dataset is as following:
#
                 informative#
                            noise#
```

[1] 1

k0

k-k0

```
#cluster 1
               n-n0
                             Y11
                                         Y12
                                         Y22
#cluster 2
               n0
                    Y21
Y11 < -matrix(rnorm(k0*(n-n0),u1,sd1),nrow=n-n0,ncol=k0) # simulated
Y12 \leftarrow matrix(rnorm((k-k0)*(n-n0),u1,sd1),nrow=n-n0,ncol=k-k0) # simulated
Y21<-matrix(rnorm(n0*k0,u2,sd2), nrow=n0,ncol=k0)+du
Y22 \leftarrow matrix(rnorm(n0*(k-k0),u2,sd2), nrow=n0,ncol=k-k0)
Y<-rbind(cbind(Y11,Y12),cbind(Y21,Y22))
Y11<-matrix(rnorm(k0*(n_tune-n0_tune),u1,sd1),nrow=n_tune-n0_tune,ncol=k0)
Y12<-matrix(rnorm((k-k0)*(n_tune-n0_tune),u1,sd1),nrow=n_tune-n0_tune,ncol=k-k0)
Y21<-matrix(rnorm(n0_tune*k0,u2,sd2), nrow=n0_tune,ncol=k0)+du_tune
Y22<-matrix(rnorm(n0_tune*(k-k0),u2,sd2), nrow=n0_tune,ncol=k-k0)
Y_tune<-rbind(cbind(Y11,Y12),cbind(Y21,Y22))
mu_Y<-apply(Y,2,mean)</pre>
Y \leftarrow t(t(Y) - mu_Y)
Y_tune<-t(t(Y_tune)-mu_Y)
sd_Y < -apply(Y,2,sd)
Y < -t(t(Y)/sd Y)
Y tune<-t(t(Y tune)/sd Y)
out <- common_diag_cov(Y,Y_tune,n,n_tune,k,k0,TRUE_INDEX,BIC=T,
num_cluster=seq(1:5),lambda=seq(0:20),MAX_iter=100,threshold=1e-4)
out$num_cluster
out$lambda
out$z 1
out$z 2
```

out\$RI
out\$aRI
out\$group_member